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Tartalomjegyzék

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Sage

Server

<https://sage.math.bme.hu/>

You can use this, or install it on your own from here: <http://www.sagemath.org/>

Tasks

Using variables

1. Let Y be your year of birth, M the month, and D the day, create these variables.
2. How much is Y divided by D? Associate this value with the b variable.
3. Let r be the remainder of Y / M.
4. What's the difference r - b?

Symbolic calculations

1. Is it true that the square root of the square of a number is the number itself?
 1. Use **bool** to convert to logical value
 2. Is it true for real numbers? Positive numbers? (**assume**)
2. Prove $(x-y)(x+y) == x^2-y^2$
3. Prove $(-1)^{(2n)} == 1$ where **n** is integer!

Sage functions, methods

1. Is 2018 a prime? (use the `is_prime()` function)
2. Were you born on a prime day? (use the `D` variable!)
3. Solve the equation $D \cdot x^2 + M \cdot x - b \cdot r = 0$ using the `solve(fv, variable)` function! (x needs to be a symbolic variable!)
4. Solve the equation numerically! Use the `find_root(fv == 0, min, max)` function, where `min` and `max` defines an interval where Sage looks for the solution.
5. Solve the above equation symbolically (make `D`, `M`, `b`, `r` symbolic variables, then use `solve`)!
6. Differentiate the function $\sin(x)\cos(x)x^2$.
7. Integrate the previous function.
8. Calculate the limit of $(1 + 3/n)^{4n}$, if $n \rightarrow \infty$
9. Let f be the following function: $f = (x+2 \cdot y)^3$
10. Substitute 3 into x ; then 4 into x and 2 into y . What's the result? (use the `subs()` method of f)
11. Expand f ! (`expand()`)
12. Using the above, calculate the Taylor series of $\sin(x)\cos(x)x^2$ up until the 4th member. (you can differentiate and integrate a function f by `f.diff(x)`)

Plotting with Sage (plot)

1. Plot a cosine curve from 0 to $4 \cdot \pi$!
2. Plot the $(x-2)^2 + 3$ polynomial from -2 to 4, color it green!
3. Plot next to the previous one (using the `show` function) the function $x^3 - 3 \cdot x + 6$ in red!
4. Plot a circle: `cirlce((coordinates of the center), radius, optional)`. The "http://wiki.math.bme.huoptional"http://wiki.math.bme.hu can be: `color, aspect_ratio=True` so that the ratio of the x and y axis are kept, otherwise we might get an ellipse.

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